The Economics of Deferral and Clawback Requirements An indirect tax approach to compensation regulation

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"Compensation schemes overvalued the present and heavily discounted the future, encouraging imprudent risk-taking and short-termism." Mark Carney (BOE)

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 - reduce excessive risks, and, hence, make banks, ultimately, safer!?

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 - ► Tax varies across actions, and, hence affects principal's action choice

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 - 5) A cautionary tale on "one-size-fits-all" compensation regulation

Literature

- Financial sector pay:
 - Axelson and Bond (2015),
 - Bell and van Reenen (2014),
 - Benmelech, Kandel, Veronesi (2010),
 - Biais et al. (2010),
 - Myerson (2012).
- Contract design builds on companion paper (Hoffmann et al., 2018), Hartman-Glaser et al. (2012) and Malamud et al. (2013).
- Regulation of (executive) compensation focuses on size of pay:
 - Thanassoulis (2012),
 - Bénabou and Tirole (2015).

Roadmap

- Tax approach to compensation regulation and toy model
- Concrete application to financial sector

• Unobservable action $a \in \mathscr{A}$ affects expected bank revenue $\Pi(a)$

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• Relevant policy question: Do contracting constraints imply higher taxes for "good" or "bad" actions?

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 - ▶ a_2 is "prudent" action preferred by society: say $a_2 \succ a_1 \succ a_0$

Two forces behind pure deferral regulation

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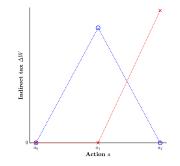
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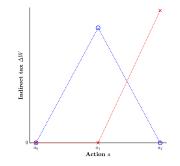
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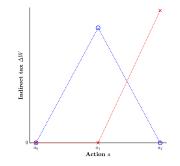
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• If $T^{*}(a_{2}) < T^{*}(a_{1})$, both forces work against this regulation

Model setup

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- Ø determine the indirect tax function across actions (contract design under regulatory constraints yielding W (a|\(\Gamma_R\)) ∀a)
- evaluate positive and normative effects of (marginal) deferral requirements and the role of a clawback clause on a*

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Modeling: Debt financing and anticipated bailouts (Atkeson et al., 2018) causes shareholders to underinvest in risk-management.

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- Risk-neutral bank shareholders and manager, but manager is relatively impatient with Δr denoting the rate of impatience.
- Manager's one-time effort a ∈ [0, ā] at cost c (a) reduces default hazard rate at all points in time (akin to MLRP)

$$rac{d}{da}\lambda\left(t|a
ight)<0\,\,orall t$$
, a.

Example: exponential arrival with constant hazard rate $\lambda(t|a) = \frac{1}{a}$

- Interpretation: risk-management effort with persistent effects,
- Learning from absence of disasters as captured by survival function

$$S(t|a) := e^{-\int_0^t \lambda(s|a)ds}$$

Optimal contracts with PC slack: Single payout

• Optimal contract: Pay out agent bonus if bank has survived until date

$$T^{*}(a) = \arg\max_{t} e^{-\Delta rt} \frac{d \log S(t|a)}{da}$$

- 1) Given bilateral risk neutrality and agent limited liability, optimal to reward only most informative outcomes and pay zero else.
- 2) At any given t, survival (\approx success) is most informative history

$$\mathscr{I}(t|a) := \frac{d \log S(t|a)}{da}$$

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• Timing-of-pay-force: Sign of T'(a) depends on whether $\frac{d \log \mathscr{I}(t|a)}{dt}$ increasing or decreasing in *a*. For exp. example: $T^* = \frac{1}{\Delta r}$

Compensation design under deferral regulation

When deferral regulation T_{min} constrains the principal, she must adjust contract terms to be able to implement the same action.

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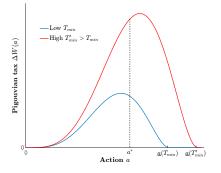
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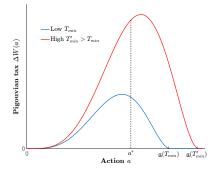
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 - **2** present value of compensation to shareholders goes up $\Rightarrow \Delta W(a) > 0$

Does tax increase or decrease in effort?



Suppose $T'(a) > 0 \Rightarrow$ familiar non-monotonicity (with continuous \mathscr{A}) **Timing-of-pay:** Only actions with $T^*(a) < T_{\min}$ are taxed.

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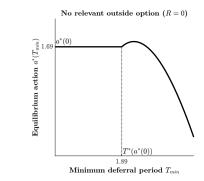
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Size-of-pay: Tax is low for low actions with low (marginal) costs

$$\Delta W(a) = c'(a) \left[\frac{e^{\Delta r T_{\min}}}{\mathscr{I}(T_{\min}|a)} - \frac{e^{\Delta r T^{*}(a)}}{\mathscr{I}(T^{*}(a)|a)} \right] \ge 0$$

Effects of deferral regulation on equilibrium action

- Case $\frac{d}{da}T^*(a) > 0$:
 - Moderate deferral increases a*.
 - ► Stringent deferral decreases a^* with $\lim_{T_{\min}\to\infty} a^*(T_{\min}) = 0.$
- Case $\frac{d}{da}T^*(a) \leq 0$: Binding deferral always decreases a^* (backfiring)



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• Comparative statics unambiguously support deferral regulation as

$$\frac{d}{da}T_{PC}(a) > 0$$

Key insight: If principal is constrained in timing dimension she must adjust other terms of compensation contract to induce same action.

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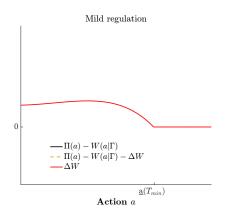
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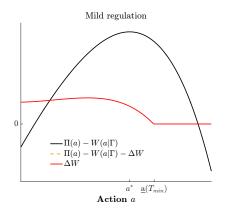
Key insight: If principal is constrained in timing dimension she must adjust other terms of compensation contract to induce same action.

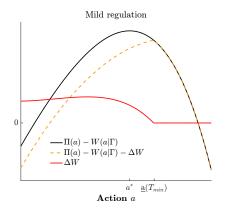
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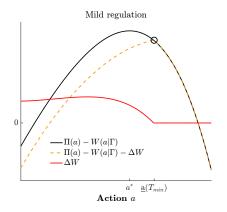
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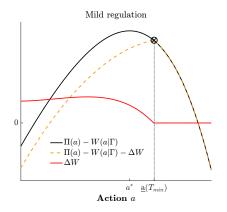
Is it ever optimal to pay for failure in equilibrium (for opt. action choice)?

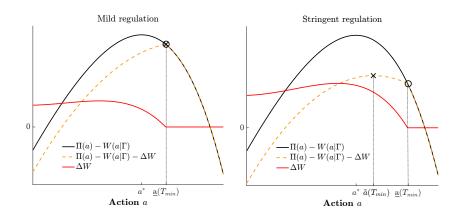




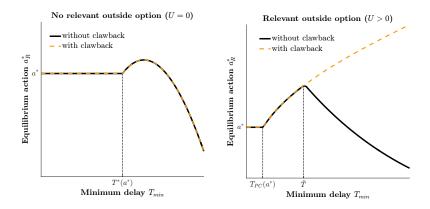








PC binding: Effects of deferral and clawbacks



Clawbacks required to get large action changes (iff PC binds)

Robustness

- Multitasking / risk-taking (think of a as vector of actions):
 ⇒ results hold for effort dimension
- Risk-aversion instead of impatience
 ⇒ costs of deferral from interfering in consumption smoothing
- Independent of regulatory motivation

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- Suppose regulator ignores agency rent \Rightarrow Welfare: $V\left(a\right) W\left(a\right)$
- Bank subject to bailouts ⇒ can raise (risky) debt D at risk-free rate r Objective of shareholders distorted by government put

$$\Pi(a) - V(a) = Dr\left(\frac{1}{r} - \int_0^\infty e^{-rt}S(a, t) dt\right)$$

with $\Pi'(a) < V'(a)$

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 - Since shareholders have aligned incentives, it is in their own interest to set "correct" compensation packages.

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$$\mathbb{E}^a \left[e^{-(r+\Delta r)t} db_t \right] - c(a) \ge U \qquad (PC)$$

$$\frac{\partial}{\partial a} \mathbb{E}^a \left[\int_0^\infty e^{-(r+\Delta r)t} db_t \right] = c'(a) \qquad (IC)$$

$$db_t \ge 0 \quad \forall t \qquad (LL)$$

$$b_t = 0 \quad \forall t < T_{\min}. \qquad (DEF)$$

$$b_t = 0 \quad \forall t \text{ if } X_{T_{\min}} = 1. \qquad (CLAW)$$
HQ (Reterdam, FFM, SSE)

Compensation regulation in the financial sector

- EU (since 2011) with different country-level implementation:
 - Mandatory deferral of bonuses for 3-5, clawback for up to 7 years,
 - Additionally: Bonus cap (CRD IV effective 2016) limiting bonuses to senior managers and other "material risk takers" to 100% of their fixed pay (200% with shareholder approval).
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Information arrival distributions

