

Variation margins, fire sales, and information-constrained optimality

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The views expressed are solely those of the authors.

Research question

Counterparty risk in derivatives contracts (e.g., Lehman bankruptcy)

Call for higher margin/collateral requirements (Dodd-Frank, EMIR)

But margin calls can trigger inefficient fire sales (BIS, 2010; ESRB 2017; Gromb & Vayanos, 2002)

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Are privately optimal variation margins also socially optimal?

What we do: General equilibrium with optimal contracting

Risk-averse agents with risky endowment (protection buyers)

Interim public signal about future value of endowment

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Interim public signal about future value of endowment

Risk-neutral protection sellers with limited liability

Unobservable effort to limit downside risk of own assets

Extension: Unobservable risk-shifting on own assets

What we do: General equilibrium with optimal contracting

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Extension: Unobservable risk-shifting on own assets

Risk-averse investors with safe asset

Can hold protection-seller asset

But are less efficient

1 Characterize information-constrained optimum (second best)

Imperfect risk-sharing (unequal marginal rates of substitution)

Possible asset transfer from protection sellers to investors

1 Characterize information-constrained optimum (second best)

Imperfect risk-sharing (unequal marginal rates of substitution)

Possible asset transfer from protection sellers to investors

2 Analyze market equilibrium (write & trade optimal contracts)

Unobservable effort → endogenous market incompleteness

Derivative contracts with possible variation margin calls

Protection sellers sell own asset to investors

3 Market equilibrium is information-constrained efficient

Despite asset sale reducing cash proceeds for everyone

Protection buyers share fire-sale risk with investors

Outline

Model

First best

Second best

Market equilibrium

[Implementation]

Pecuniary externality and constrained efficiency

[Regulatory and empirical implications]

Model

Agents

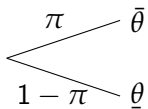
Risk-averse protection
buyers with utility u
and risky θ -asset
(e.g., commercial bank
with mortgages)

Risk-neutral protection
sellers with risky R -asset
(e.g., investment bank)

Risk-averse **investors**
with utility v
and safe endowment
(e.g., sov. wealth fund)

θ -asset (protection buyers)

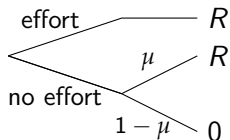
Risky payoff



(aggregate shock to all protection buyers)

R-asset (protection sellers)

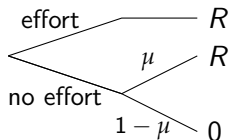
Shirking on unobservable costly effort \rightarrow more risk



Constant per-unit cost of effort ψ

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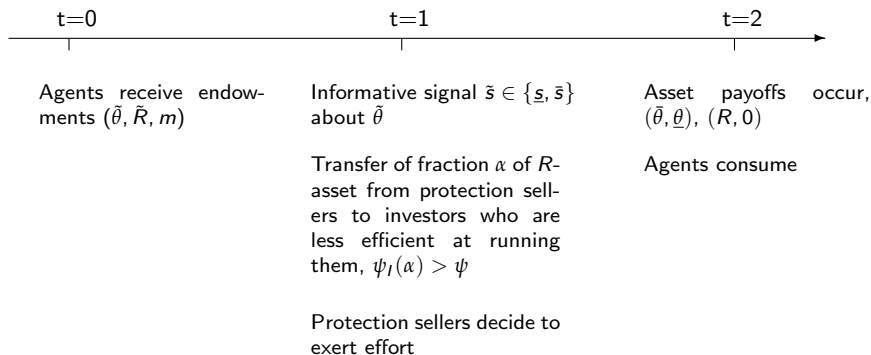


Constant per-unit cost of effort ψ

Pledgeable return (Holmström & Tirole, 1997)

$$\mathcal{P} \equiv R - \frac{\psi}{1 - \mu} > 0$$

Time line



First Best

Planner's problem

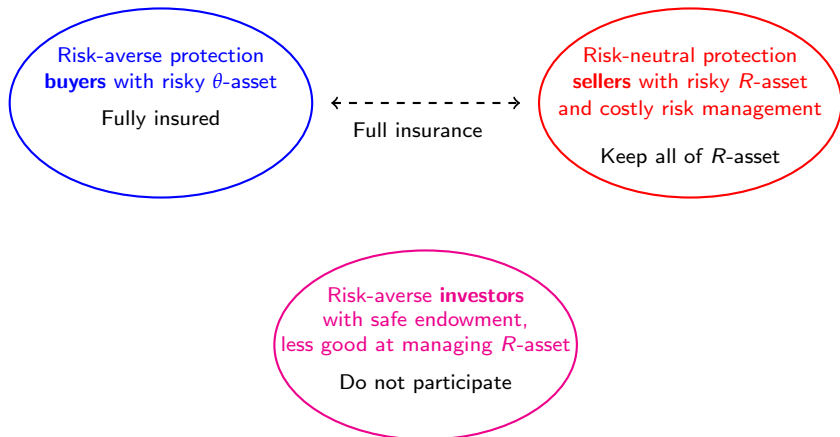
Planner imposes effort and solves

$$\max_{\substack{c_B(\theta, s), c_S(\theta, s) \\ c_I(\theta, s), \alpha(s)}} \quad \omega_B E[u(c_B(\theta, s))] \\ + \omega_I E[v(c_I(\theta, s) - \alpha(s)\psi_I(\alpha))]$$

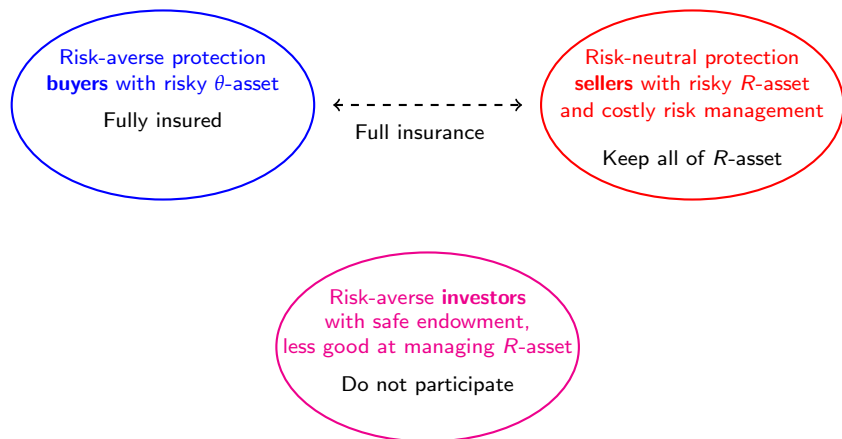
subject to participant and resource constraints

($\omega_S = 0$ corresponds to zero bargaining power in market setup)

First best



First best



All marginal rates of substitution equal (=1)

Second best

Second-best problem

Induce effort via incentive constraints

Second-best problem

Induce effort via incentive constraints

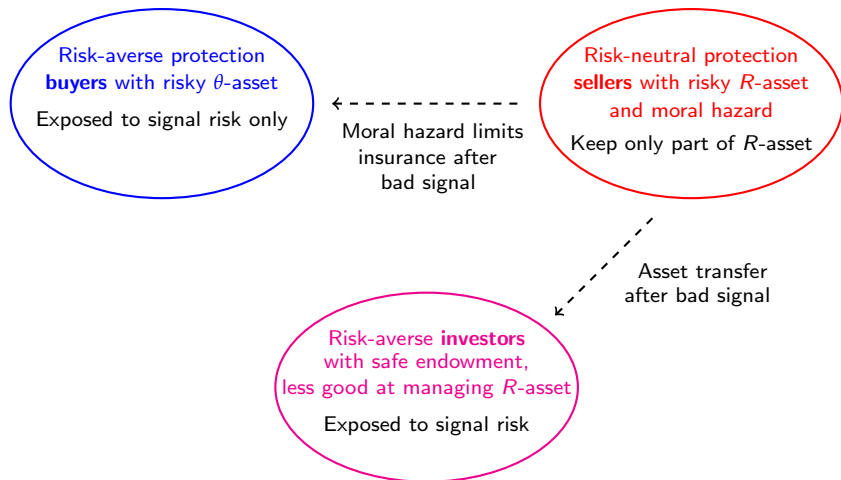
Only the constraint after a bad signal binds

$$E[c_S(\theta, \underline{s})|\underline{s}] \geq (1 - \alpha(\underline{s})) \frac{\psi}{1 - \mu}$$

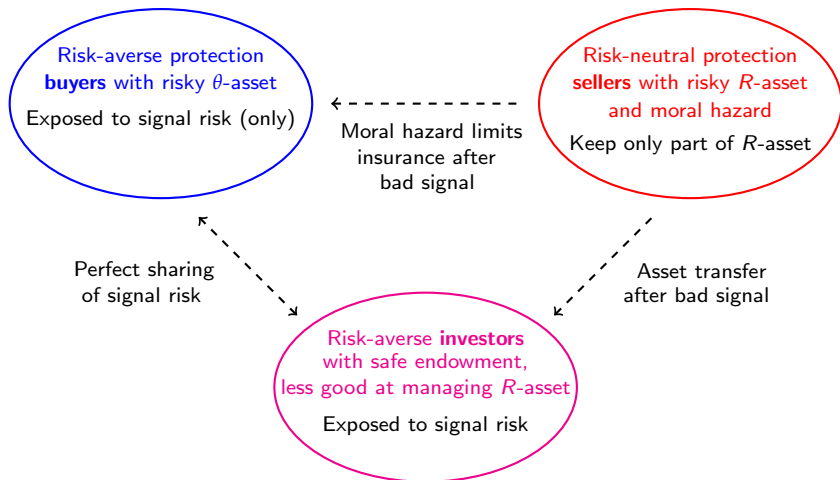
Second-best



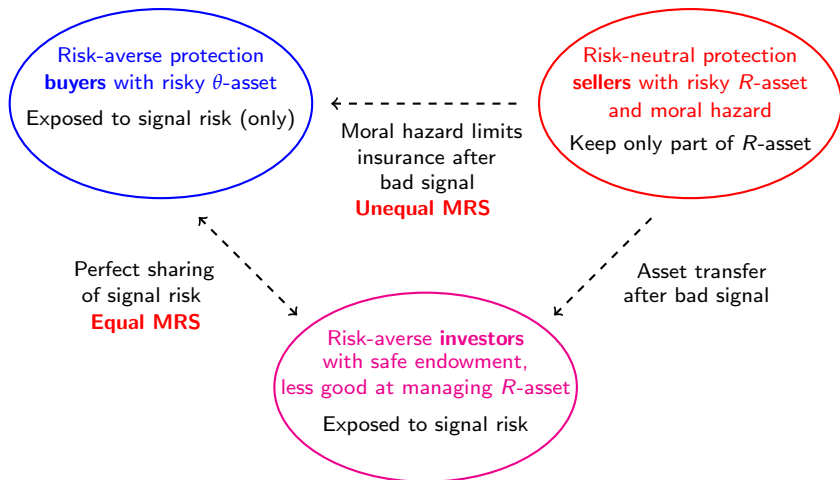
Second-best



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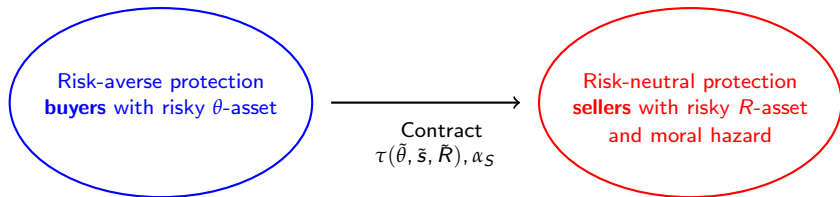


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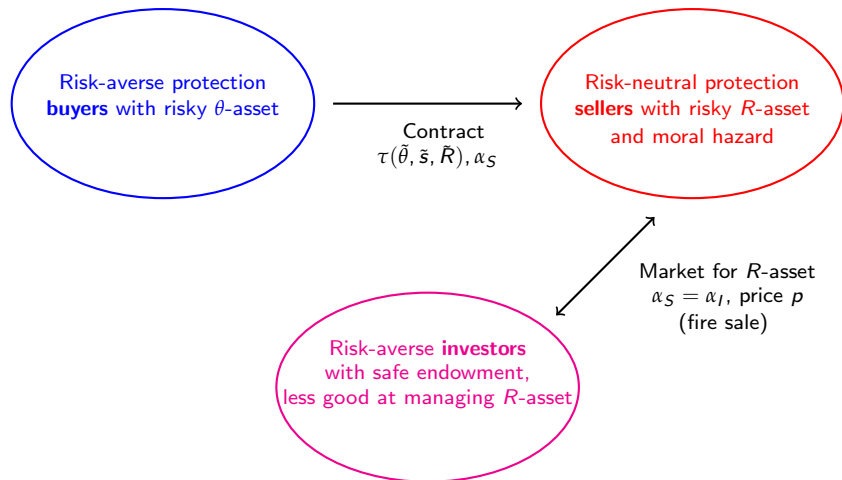


Market equilibrium

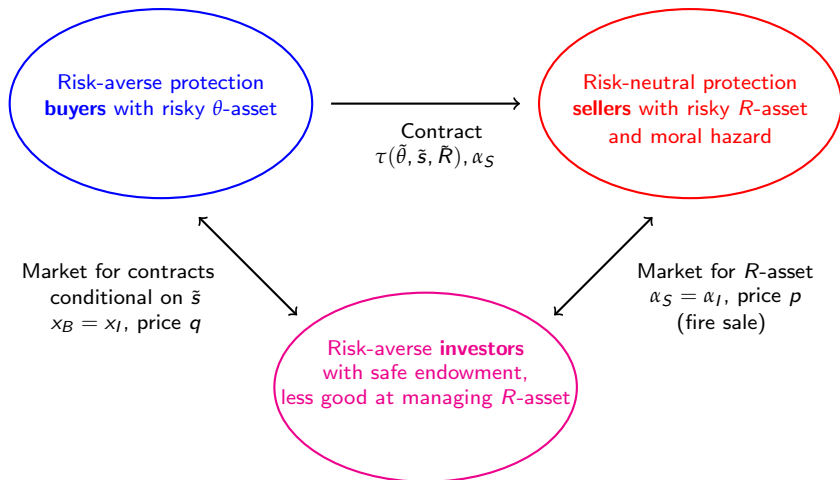
Optimal contracting



Asset market



Insurance market



Variation margin (McDonald & Paulson, 2015, “AIG in Hindsight’)

Many **derivatives contracts** have zero market value at inception... As time passes and prices move... [derivatives'] fair value [**becomes**] **positive for one counterparty and negative ... for the other**. In such cases it is common for the negative value party to make a compensating payment to the positive value counterparty. Such a payment is referred to as **variation margin**

Variation margin (McDonald & Paulson, 2015, “AIG in Hindsight’)

... this transfer of funds based on a market value change is classified as a change in **collateral** and not as a payment... collateral is held by one party against the prospect of a loss at the future date when the contract matures or makes payment on a loss.

If the contract ultimately does not generate the loss implied by the market value change, **the collateral is returned.**

Variation margin in the model

Derivative contract: $\tau(\tilde{\theta}, \tilde{\mathbf{s}}, \tilde{R})$

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$E[\tau(\tilde{\theta}, \underline{s}, R) | \underline{s}] > 0 \rightarrow$ negative value for protection seller

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Asset sale + using proceeds as collateral

Optimal to set $\tau(\tilde{\theta}, \underline{s}, \mathbf{0}) = \alpha_S p$

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Protection seller incentive constraint

$$\underbrace{\alpha_S p}_{\text{cash from asset sale}} + \underbrace{(1 - \alpha_S) \mathcal{P}}_{\text{assets under seller control}} \geq \underbrace{E[\tau(\theta, s) | \underline{s}]}_{\text{liability (derivative position)}}$$

Pecuniary externality and constrained efficiency

Pecuniary externality, but planner cannot do better

Pecuniary externality

Larger asset sale α

Lower asset price $p = R - \frac{d(\alpha\psi_I(\alpha))}{d\alpha}$

Lower collateral value of sellers' asset αp

Less incentive-compatible insurance for all buyers

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Usual argument for intervention

Limit margins \rightarrow fewer asset sales

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Limit margins \rightarrow fewer asset sales

But higher price $p \rightarrow$ less profit for investors

Internalization: Insuring fire-sale risk

Fire sale (bad signal, \underline{s})

Bad for protection buyers

Good for investors

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⇒ Room for ex-ante trade of contracts contingent on signal s

Concluding remarks

Bad new about insured risk → deposit cash on margin account

Cash on margin account increases pledgeability of assets (asset view of collateral)

Fire sale of assets creates pecuniary externality

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Insuring fire-sale risk internalizes the externality

Still, market is (endogenously) incomplete

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Insuring fire-sale risk internalizes the externality

Still, market is (endogenously) incomplete

Instead of regulating margins, policy should promote insurance against fire-sale risk

Additional slides

Equilibrium inefficiency when markets are exogenously incomplete

Stiglitz (1982), Geanakoplos & Polemarchakis (1986), Greenwald & Stiglitz (1986), Gromb & Vayanos (2002), Lorenzoni (2008), Davila & Korinek (2017)

Equilibrium efficiency and optimal contracting, but no interim trades (no fire sales)

Prescott & Townsend (1984), Kehoe & Levine (1993), Kocherlakota (1998), Alvarez & Jermann (2000), Kilenthong & Townsend (2014)

Collateralized lending and fire sales, but no normative analysis

Brunnermeier & Pedersen (2009), Acharya & Viswanathan (2011),
Fostel & Geanakoplos (2014), Kuong (2016), Kurlat (2018)

Inefficient fire sales in other contexts

Caballero and Krishnamurthy (2003), Stein (2012), Kondor & He
(2016)

Endogenous correlation of asset value (contagion)

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After bad signal \rightarrow drop in expected value of θ -asset

Margin call \rightarrow asset sale \rightarrow lower price for R -asset

Empirical implications

Endogenous correlation of asset value (contagion)

After bad signal \rightarrow drop in expected value of θ -asset

Margin call \rightarrow asset sale \rightarrow lower price for R -asset

No such co-movement in first best

Only after bad news

Stronger if agent subject to margin call has worse governance

Stronger if markets incomplete

Implications for regulation

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Create a market place for these contracts

E.g., expanding scope of CCP that administers margin calls

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Promote participation of those who lose and gain in fire sale