

# Mitigating fire sales with contracts: Theory and evidence

Guillaume Vuillemey

HEC Paris & CEPR

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LSE

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# Motivation

- **Fire sales cause severe inefficiencies**
  - Deviations of prices from fundamentals (Coval & Stafford, 2007)
  - Margins → Inefficient liquidations (Brunnermeier & Pedersen, 2009)
  - Predatory trading (Brunnermeier & Pedersen, 2005)
  - Ex ante liquidity hoarding (Acharya, Shin & Yorulmazer, 2011)
  
- **Fire sales often arise from coordination failures**
  - Collectively, investors are better off not selling
  - But... individually rational for each of them to sell

# This paper

- Theory: **Agents can mitigate fire sales via private contracting**
  - Model of inefficient fire sales based on Bernardo & Welch (2004)
  - Contract: investors pre-commit to buy assets at above-market prices
  - Penalty for free-riding investors
  - → Contract interpreted as a CCP
  
- Empirics: **Fire sale mitigation by CCPs**
  - First historical example during the 1900 wool crisis
  - Coordination occurred in conditions implied by the model
  - Present-day CCPs run auctions with very similar effects

# Model - Setup

- **Timing:**  $t = 0, 1, 2$
- **Asset:** Risky security, normally distributed payoff  $\tilde{R} \sim \mathcal{N}(\mu, \sigma^2)$ 
  - Endogenous prices  $p_0(s_0)$  and  $p_1(s_0, s_1)$  at dates 0 and 1
  - $s_0, s_1$ : Sales at dates 0 and 1
- **Mass 1 of end-investors**
  - Risk-neutral, hold the asset at  $t = 0$
  - With prob.  $\lambda$ , a fraction  $\delta \in [0, 1]$  fails at date 1  $\rightarrow$  Assets liquidated
  - Date-1 capital constraint  $\kappa$ , given initial equity  $\bar{e}$

$$\kappa \bar{e} \leq p_1,$$

- **Market-maker:** initial wealth  $\bar{W}$ 
  - Risk-averse, with exponential utility  $u(w) = -e^{-\gamma w}$
  - $\rightarrow$  Prices fall when market-maker inventory increases

# Model - Efficient allocation

## ■ Efficient allocation

- Date 0: No asset sales
- Date 1: Sell  $\delta$  with prob.  $\lambda$
- Forced sales only if  $p_1(0, \delta)$  binds capital constraint

■ **Proposition 1:** If  $\kappa \bar{e} \leq p_1(0, \delta)$ , then  $s_0 = 0$  and  $s_1 = \delta$ .

- Do not expect constraint to bind  $\rightarrow$  Do not sell

## ■ Date-1 asset price solves (when defaults occur)

$$\mathbb{E} \left[ -e^{-\gamma(\bar{W} + \delta(\tilde{R} - p_1(0, \delta)))} \right] = \mathbb{E} \left[ -e^{-\gamma\bar{W}} \right].$$

$$\implies p_1(0, \delta) = \mu - \frac{\gamma\delta}{2}\sigma^2,$$

# Model - Fire sales

## ■ Investor conjectures a fraction $\alpha$ will sell

- With prob.  $(1 - \lambda)$ : No defaults, receive  $\mu$  at  $t = 2$
- With prob.  $\lambda\delta$ : He defaults at  $t = 1 \rightarrow$  utility is zero
- With prob.  $\lambda(1 - \delta)$ : A mass  $\delta$  defaults  $\rightarrow$  Forced sales  $1 - \alpha$

## ■ $F(\alpha)$ : Expected net benefit of selling at $t = 0$

$$F(\alpha) = \underbrace{p_0(\alpha)}_{\text{If sell at } t=0} - \underbrace{\lambda(1-\delta)p_1(\alpha, 1-\alpha)}_{\text{If forced to liquidate at } t=1} - \underbrace{(1-\lambda(1-\delta))\mu}_{\text{If no liquidation}}$$

## ■ Proposition 2: $\alpha^* = 0$ never an equilibrium when $\lambda(1 - \delta) > 0$

- Expectation of forced sales lead to preemptive sales at  $t = 0$
- Inefficient since date-1 defaults occur only with prob.  $\lambda$
- $\alpha^* = 1$  if  $\lambda(1 - \delta) > 1/2$

# Model - Contract

## ■ Contract between investors and market-maker

- Market-maker commits to buy at  $p_1^C = \kappa \bar{e}$  in default states
- In exchange, investors pay  $q^C$  in non-default states
- $\rightarrow p_1^C$  exactly sufficient to avoid fire sales

## ■ Participation constraint of investors

$$q^C \leq \frac{1 - \lambda\delta}{1 - \lambda} \underbrace{\alpha(\mu - p_0(\alpha))}_{\text{Date-0 inefficiency}} + \frac{\lambda - \lambda\delta}{1 - \lambda} \underbrace{(1 - \alpha)(\mu - p_1(\alpha, 1 - \alpha))}_{\text{Date-1 inefficiency}}$$

## ■ Participation constraint of market-maker (when binds)

$$q^C = \frac{\ln(1 - \lambda) - \ln(1 - \lambda e^{\gamma\delta[p_1^C - p_1(0,\delta)])}}{\gamma},$$

# Model - Contract

- **Proposition 3:** Fire sales eliminated for a set of parameters

- If the capital shortfall is low enough
- But there is an upper bound to  $p_1^C$

- **Potential for free-riding**

- Assume all other investors have signed the contract
- A given investor (of mass 0) is better off not signing
- $\rightarrow$  Fire sales are avoided, but save  $q^C$

- **Eliminating fire sales**

- Penalty for free-riding investors must satisfy

$$f^C \geq (1 - \lambda)q^C$$



# Model - Contract as a CCP

## ■ Contract implemented as a CCP

- CCPs run auctions to liquidate positions at above-market prices
- Penalty? Exclusion from market if refuse to participate
- → Centralization helps coordination to avoid free-riding

## ■ Contract feasibility requires observability of shocks

- Among all liquidity shocks, defaults are the most observable
- → Can explain why CCPs focus on default events
- Variation margins → Make liquidity shocks observable

## ■ Other functions of CCPs?

- Multilateral netting + counterparty risk mitigation
- If other benefits, penalty for not abiding to CCP rules are larger
- → Makes free-riding even more costly

# Evidence - Historical background

## ■ Wool market of Roubaix-Tourcoing

- Major center of industrial revolution (“French Manchester”)
- Wool trade gives rise to price risk for dealers
- Futures market with CCP (created in 1888) to hedge this risk
- CCP did not initially play any role to mitigate fire sales

## ■ Wool crisis in 1900

- Massive drop in prices → 46% in a few months
- August 1900: 18 trading houses suspend payments
- Risk of “liquidity spiral” → Forced sales leading to forced sales

## ■ Data

- Multiple archive sources
- Daily *Bulletin des laines* published by the exchange

# Evidence - Decisions to mitigate fire sales

## ■ Decisions to mitigate predatory short-selling

- Increase margins in several steps (from 1,000 FRF)
- Aug. 28th: Special margins of 10,000 FRF for short positions
- Penalty for positions settled without physical delivery

## ■ Settlement at above-market prices

- Did not liquidate positions in open market
- Organized sale with members
- Delcambre (1907): *"Instead of throwing defaulted positions in the open market, the CLG sold them amicably. They were bought at a single price by houses which, having sold futures in the past, agreed to close their positions."*

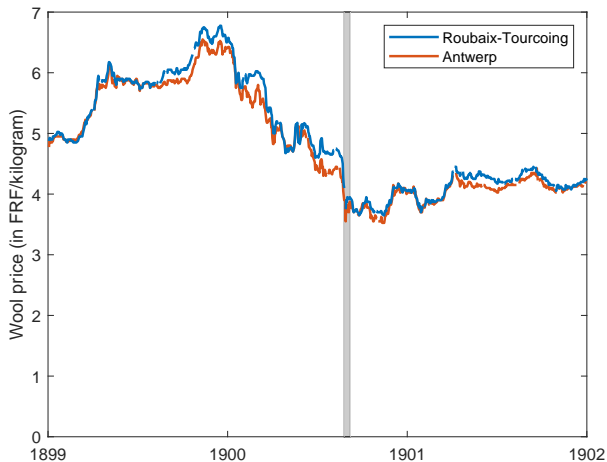
## ■ Decisions not mandated by rulebook

- Criticized by some parties early on
- But soon widely praised → Mutually beneficial

# Evidence - Achieving coordination

- **Close family ties helped achieve coordination**
  - Landes (1976): Family values, endogamy within textile industry
  - Family relationships substitute for formal legal arrangements
  - Deviating is more costly if family values are strong
  
- **CCP took decisions to prevent side trades**
  - CCP refused to register trades of members doing side trades
  - → They would de facto be excluded from the market
  - CCP suspended publication of prices

## Evidence - From prices



- **No evidence of price dislocation** → Confirmed by tests

# Evidence - From trade flows

## ■ Test for effects on real economic activity

- Focus on trade flows More volatile than production
- Data: 14 textiles, 24 customs, over 1896-1905

## ■ Difference-in-differences estimation

$$Trade_{ct} = \beta_1 \cdot Post_t \cdot TrCity_c + \beta_2 \cdot Post_t + \beta_3 \cdot TrCity_c + \epsilon_{ct},$$

- $Trade_{ct}$ : Share of imports/exports of city  $c$  in year  $t$
- $TrCity_c$ : Equals 1 for Roubaix and Tourcoing
- $Post_t$ : Equals 1 after 1900

## ■ Triple difference-in-differences estimation

- At the product-city-year level
- Additionally compare wool to other textiles

## Evidence - From trade flows

	Share of imports			Log volume of imports		
$TrCity_c \cdot Post_t$	-0.002 (0.016)	0.000 (0.021)	0.001 (0.014)	-0.053 (0.479)	0.016 (0.626)	-0.026 (0.448)
$TrCity_c$	-0.015 (0.011)	-0.040*** (0.015)	-0.017* (0.010)	-1.442*** (0.339)	-2.331*** (0.443)	-1.514*** (0.316)
$Post_t$	0.000 (0.006)	-0.000 (0.006)	-0.000 (0.006)	0.101 (0.195)	0.090 (0.180)	0.079 (0.182)
Treated: Dunkerque	Yes	No	Yes	Yes	No	Yes
Treated: Lille	Yes	No	Yes	Yes	No	Yes
Trade type	Gen.	Gen.	Spe.	Gen.	Gen.	Spe.
$R^2$	0.006	0.044	0.009	0.127	0.179	0.154
N. Obs.	240	240	240	240	240	240

### ■ No significant effect on total trade flows

- Robust to including post-treatment year dummies
- Robust to triple-difference estimation

# Implications for CCP design

- **Similar mechanisms are now widespread in CCPs**
  - Auctions with incentivized participation
  - Incentivization via default fund juniorization + Fines
  - → But often only seen as a protection for CCPs
  - Anecdotal evidence from the Lehman auction by LCH in 2008
  
- **Implications of the model**
  - Auctions should be run even when CCP is away from distress
  - Incentive mechanisms should bind whenever large defaults occur
  - CCPs can limit ex ante potential for fire sales via position limits



# Conclusion

- **Fire sales can be eliminated via private contracting**
  - Contract with pre-commitment to buy + penalties
  - Contract resembles a CCP and explains several of its features
  - Historical evidence consistent with theory
  
- **For future work**
  - Can the contract be implemented by other institutions?
  - Can CCPs mitigate fire sales that are not arising from defaults?
  - Relative role of contracts and policy to mitigate fire sales?