THE ANATOMY OF A PEG

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Exchange rate pegs usually fail

- 1. Countries want to pursue internal goals, and the impossible trinity bites.
- 3. Countries do not have enough foreign currency, exposed to runs.

Goodhart *Money Information and Uncertainty*: chapters 17 and 18, with conclusion (p. 417): "...my own conclusion has been that the authorities should intervene in exchange markets, but that their concern should not be to pick and to defend any particular level of rates, but to control the rate of change of parities, managing this rate of change to see that it never becomes too large to become a disruptive force."

2. Countries do not have fiscal and political unity to accept large regional differences in economic performance. Price levels and real exchange rates adjust slowly to asymmetric shocks, it is faster/superior to have the nominal exchange rate adjust.





But sometimes they work







How do pegs work? How are they implemented?

- and buy the currency when the exchange rate is too low.
- Frankel (1983), Meese and Rogoff (1983a, 1983b) concluded "disaster".
- For instance, in our two countries:

 - For Croatia: *R*²'s are 0.0866 and 0.1225, respectively.

• Central banks control money supply. The exchange rate between two currencies is the relative value of two monies. So, just sell your currency when its exchange rate is too high,

• Monetary approach/theory of exchange rates (and balance of payments): "the exchange rate is the relative price of different national monies, rather than national outputs, and is determined primarily by the demand and supplies of stocks of different national monies." Mussa (1977)

• Broadly used in emphasis on financial markets. Narrowly, empirical failure from the start:

• For HK: regression of *m* on *e* has R^2 or 0.0072, and of Δm on lagged *e* is 0.0001



Exchange rates and money supplies

Relative Money and Exchange Rates



Monthly data 1959-2023, unbalanced panel of 95 countries, from IFS, all relative to USD - US M.

Monetarist theory of exchange rates failure: across countries and/or time, money growth and exchange rate changes are uncorrelated.

For pegs (Ilzetzki-Reinhart-Rogoff classification)



What will this paper do

- between CNY and CNH versions of the RMB.
- 2. Show that the peculiarities of this peg make it an ideal testing ground for the monetarist theory of the exchange rate.
- view of exchange rates
- 4. used to select the right measure of money and interest rates.
- 5. Even stronger evidence for monetarism!

1. Introduce one peculiar, prominent, and successful peg: the one that China conducts

3. Find that it works quite well! First evidence, as far as we know, in favor of monetarist

Go deeper: structural model of financial institutions in Hong Kong, how they work,



1. THE MONETARIST MODEL AND THE CNY-CNH PEG

Monetarist model with modern shocks

Frenkel (1976, 1983) and Mussa (1974, 1977) model

$$i = i^{o} - \mathbb{E}(\Delta e) - w$$
$$p + e = p^{o} + v$$
$$m - p = -\eta i + u$$
$$m^{o} - p^{o} = -\eta i^{o} + u^{o}$$

Shocks, which traditional monetary approach assumed away:

- *v* real exchange rate, deviations from PPP
- *m*^o, *u*^o shock to other countries's money supply and money demand

UIP PPP Money demand Money demand, other

• *w* - wedges to UIP from limits to arbitrage or capital controls (and non-RE)

• *u* - shock to money demand including income effect and money multiplier

Monetarist model: why it fails

• If floating exchange rates, exogenous money then have:

$$e_{t} = \sum_{j=0}^{\infty} \left(\frac{\eta}{\eta+1}\right)^{j+1} \mathbb{E}_{t} \left[u_{t+j} - u_{t+j}^{o} + v_{t+j} + \eta w_{t+j} - (m_{t+j} - m_{t+j}^{o})\right]$$

• If fixed exchange rates, then need rule for endogenous money:

$$m = m^0 + \eta w + v + u - u^o$$

- track of *u*, *v*, *w*, *u*^o, *m*^o to adjust *m* that fast or accurately.

• <u>Why monetarism fails?</u> Because shocks to *u*, *v*, *w* are larger than movements in *m* - *m*^o.

• <u>Why pegs are hard to implement and fine tune?</u> Because central bank cannot keep

The peculiar CNY-CNH peg

- Deposits in Shenzhen are in CNY. Deposits in Hong Kong are in CNH.
- - metro, deposit them in Hong Kong, and vice versa. Up to \$50k per person.
 - There are quotas on exchanging CNH for CNY for purposes of investment.
- intervenes in exchange rate using its large USD reserves.
- But, CNH market is completely free. Offshore in Hong Kong. Can buy/sell USD freely.
- PBoC controls the supply of both currencies. Pegs their exchange rate at e = 0.

• Capital controls (open CA, closed capital account). An offshore reserve not same as onshore reserve. • A Chinese citizen with a deposit in Shenzen, can withdraw RMB banknotes and coins, take the

• A Chinese firm can trade and receive payment in either CNH or CNY. It cannot exchange CNY for CNH without an invoice (trade settlement scheme). Some firms accumulate large deposits in both

• However, Chinese banks can borrow/lend in CNY-CNH and so consider relative returns.

• Limits on payments with CNY, including exchanging them for USD (or any FX). How PBoC



Back to the model

- Banks can arbitrage between CNY and CNH if they have large balances of either: $w \approx 0$
- No border for real goods between mainland China and Hong Kong:

• PBoC controls the relative supply of the two monies (including *m*^o):

 $m - m^0 = u - u^o$

• So, to keep exchange rate at e = 0, <u>only need to absorb money demand shocks</u>.

 $v \approx 0$

How successful is the PBoC?

CNY/CNH Spot FX



Quite successful. Comparable to Croatia and Hong Kong before, as well as other lasting pegs.

August 2015 reform: large deviation *e*, PBoC reacted with large rise in *m-m*^o. "Liquidity dry-up in offshore market" in 2015-16

Adjustment of liquidity facilities to control *m-m*^o from 2017 onwards (UIP holding)

Focus on post-2017: small, symmetric, bell-shaped deviations







AR(1) with θ =0.5 across days, also intraday persistence



FX Differential Response to FX Differential

2. TESTING MONETARISM WITH THE CNY-CNH DATA

Adjusting the model to fit data

- Money demand shocks every day, hard to to track down in real time.
- chooses relative monies today to match expectation of tomorrow's shock:

$$m_t - m_t^o \equiv \mathbb{E}_{t-1}(u_t - u_t^o) \quad \text{and} \quad u_t - u_t^o = p_t + \tau_t$$

$$m_t - m_t^o - (u_t - u_t^o) = \varepsilon_t$$
 and $\varepsilon_t = \theta \varepsilon_{t-1} + \tilde{\varepsilon}_t$

• From there, exchange rates follow an AR(1) matching the data ($\theta \cong 0.5 \cong \eta$).

$$c_t$$
 —

• Shocks: permanent term (growth) and an iid term, central bank cannot separate them,

$$\left(\frac{\eta}{1-\theta}\right)\varepsilon_t$$

• Monetarism without perfect control: see $e_t > 0$ today, do $\Delta(m_{t+1} - m_{t+1}) > 0$ to restore peg



First test: good, but not great



Using relative stock of sight deposits (≅M1).

Some relation, and much stronger than other peggers

All driven by M in CNH

But still quite low R^2 .

Relative Money Demand: $\Delta(m_t - m_t^{c})$				
All countries	Peggers	China post 20		
-0.016	-0.066**	-9.40**		
(0.01)	(0.03)	(5.53)		
	```'			
$18,\!274$	4615	75		
95	38	1		
0.002	0.002	0.02		





# 3. MEASURING M

### Measuring relative monies better



Usage of RMB Liquidity Facilities

Daily Drawings of HKMA RMB repos (intraday, max)

Sight deposits are endogenous and volatile from money multiplier

HKMA CNH liquidity facilities: repo operations for banks in HK to borrow CNH immediately.

Action in PLP+Intraday.

The direct instrument used in money markets, the  $m_t^o - \bar{m}^o$ in the theory.



### **Test with proper measure of monies**



Regress  $(m_{t+j}^o - \bar{m}^o)/\bar{m}^o$ on  $e_t$ 

Significant improvement

Coefficient close to 1

Persistence on the stock as predicted by random walk model



### Happens as market opens, flat during day





## 4. MEASURING I

### Go deeper into financial institutions

• Since we are trying to get at *u*, then why not just estimate money demand?

$$m - m^0 = -\eta(i - \eta)$$

$$m - m^0 = -\eta i + \eta^o i^o + u - u^o$$

- But, which interest rates?
- Or, equivalently, where does this equation come from?

$$-\eta(i-i^{o})+u-u^{o}$$

• Or, relaxing unrealistic assumption of same elasticity of demand for the two monies:

• Need micro-foundations, a model of demand for the two monies by depositors / banks.



### Go deeper into financial institutions

#### **Bank Balance Sheet**

Assets	
(onshore loans) $x$	
(offshore loans) $x'$	d
(onshore reserves) $m$	d'
(offshore reserves) $em'$	(onshe
(onshore net interbank borrowing) $f$	(offsho
(offshore net interbank borrowing) $f'$	

#### Liabilities

c (capital)

- (onshore deposits)
- (offshore deposits)
- ore official borrowing) z
- ore official borrowing) z'

#### <u>3 periods</u>

At 0: bank takes in deposits (*d*) makes loans (*x*) and holds reserves (*m*)

At 1: bank suffers withdrawal shocks ( $\omega$ ) to deposits, goes to interbank market (*f*) and CB facility (z)

At 2: payoffs.



### Supply and demand for liquidity

$$s_{j} = \omega_{j}d + m \qquad s_{j}' = \omega_{j}'d' + m' \qquad \text{Net sur}$$
$$S_{+}' = \int_{j} \max\left\{s_{j}', 0\right\} dj \qquad S_{+}' \text{ is tot}$$
$$S_{-}' = -\int_{j} \min\left\{s_{j}', 0\right\} dj \qquad S_{-}' \text{ is tot}$$

 $\Psi_{-}(\theta)$ 

$$\theta' = \frac{S'_{-}}{S'_{+} + W}$$
 Offshor

 $\Psi_+(\theta)$ 



- plus of liquidity of individual bank
- tal amount lent offshore

- tal demand for liquidity offshore
- re market tightness
- Probability borrower finds a match, falls with tightness
- Probability lender finds a match, rises with tightness



### Supply and demand for liquidity

CB liquidity line rate:  $R^{z}$ , Interbank lending rate:  $R^{f}$ 

Marginal cost of investing surplus liquidity (taking  $\theta$  as given)

$$\chi'_{+}(\theta) = \Psi_{+}(\theta')R'^{f}(\theta) + (1 - \Psi_{+}(\theta'))R'^{m}$$

Marginal cost of financing shortfall in liquidity (taking  $\theta$  as given)  $\chi'_{-}(\theta) = \Psi_{-}(\theta) R'^{f} -$ 

neutral, so expected marginal costs equated to interest rates.

$$+ (1 - \Psi_{-}(\theta))\tilde{R}'^{z}$$

Bank chooses *m* and interest on deposits (and so *d*) to maximize expected profits. Risk

### **Combining it all**

Expected cost of borrowing from discount window in onshore and offshore market:

$$\chi(m,d) = \mathbb{E}_0 \left[ \left( 1 - \Psi_-(\theta) \right) \min \left\{ \omega d + m, 0 \right\} \left( R^z - R^d \right) \right],$$
  
$$\chi'(m',d') = \mathbb{E}_0 \left[ \left( 1 - \Psi'_-(\theta') \right) \min \left\{ \omega' d' + m', 0 \right\} \left( \tilde{R}'^z - R^d \right) \right]$$

Optimality condition on  $R^m$  the interest of  $R^m - R'^m =$ 

LHS: opportunity cost of onshore versus offshore reserves RHS: Log marginal rate of substitution between the two Under money in utility model, a log-linearized RHS is  $(1/\eta)(m - m')$ . Here instead...

Optimality condition on *R^m* the interest on reserves held by a bank at the central bank:

= 
$$\chi'_m - \chi_m$$

### **Relative demand for reserves onshore/offshore**

After log-linearization of this demand for reserves by banks

$$m_{t}^{o} - m_{t}$$

$$= \tilde{\eta}^{o} i_{t}^{o} - \tilde{\eta} i_{t}$$

$$= \tilde{\eta}^{o} \alpha_{1} \left( i_{f,t}^{o} - \tilde{\eta} i_{t} - Gap \text{ in } + \tilde{\eta}^{o} \alpha_{1} \left( i_{f,t}^{o} - i_{t}^{o} \right) - \text{Interbar}$$

$$+ \tilde{\eta}^{o} \alpha_{2} \left( i_{z,t}^{o} - i_{t}^{o} \right) - \text{Discond}$$

$$- \tilde{\eta} \alpha_{3} \left( i_{f,t} - i_{t} \right) - \text{Same in } + u_{t}^{o} - u_{t}$$

$$- \tilde{\eta} \alpha_{4} \left( i_{z,t} - i_{t} \right) - \text{Same in } + u_{t}^{o} - u_{t}$$

Right measure of interest rates is mix of several rates. Can calibrate / estimate. Build u's

- iquidity facilities
- n interest on reserves with respective elasticities
- ank rate premium as it affects cost of shortfall
- unt window premium as affects cost of shortfall
- interbank premium offshore
- discount window premium offshore
- s to deposits



### Testing the model: residual u's on monies



- Regress  $(m_{t+j}^o \bar{m}^o)/\bar{m}^o$  on  $\hat{u}_t$
- This coefficient should be close to  $\theta$ , the autocorrelation of the exchange rate
- We estimated  $\theta$  to be 0.5
- This is close to 0.5.



### **Improvement from micro foundations**

	UIP: $e_{t+1}/e_t$	Money Dem				
	(1)	(2)	(3)			
$\overline{i_t^{f,CNH} - i_t^{f,CNY}}$	$0.853^{*}$	0.071***				
	(0.45)	(0.01)				
$i_t^{CNY}$						
			$-1.037^{*}$			
$i_t^{f,CNY}$			(0.062)			
$i_t^{z,CNY}$						
$i_t^{CNH}$						
$i^{f,CNH}$			$0.045^{*}$			
			(0.01)			
$i_t^{z,CNH}$						
$\overline{N}$	1,598	1,598	1,598			
$R^2$	0.016	0.02	0.20			
Noway Wast standard arrors in paranthasas						

newey-west standard errors in parentneses * p < 0.1, ** p < 0.05, *** p < 0.01



-2.832*** *** (0.20)-0.177*** 2) (0.062)-1.438*** (0.144)— ** 0.077*** (0.02)-0.062***

(0.012)

1,598

0.41

(1) Checking UIP holds post 2017 as we've assumed

(2) Estimating Frenkel-Mussa money demand using overnight rates

(3) Frenkel-Mussa with different elasticities

(4) Our model. All but one coefficients right signed.

Big improvement in *R*²





### Another test on the procedure



- Higher excess demand for CNH relative to CNY (high  $\mathcal{U}^{0} - \mathcal{U}$ )
- Scarcity of relative reserves. Should mean an increase in the relative bidask spread
- Alternative measures of liquidity shocks
- Positive relation in the data





5. CONCLUSION

### In honor of Charles Goodhart

- Charles E. A. Goodhart's work:
  - Exchange rate markets and money markets.
  - Monetary economics with money, while understanding why correlations of inflation or exchange rates with monetary aggregates were so weak.
  - Meticulous study of how banks actually work and how the plumbing of liquidity facilities affects monetary policy, inflation and financial stability.
- This paper is in his honor:
  - A peculiar, but useful FX market, where a peg has been successfully implemented. • The first successful test of the monetary theory of exchange rates.

  - Careful measuring of relative monies and their opportunity costs by considering how banks work in this market.