

The Liquidity State-Dependence of Monetary Policy

Oliver Ashtari Tafti (LSE) Rodrigo Guimaraes (BoE)
Gabor Pinter (BIS) Jean-Charles Wijnandts (BoE)

16th Annual Paul Woolley Centre Conference and 4th Annual Conference on Non-Bank
Financial Sector and Financial Stability

7 June 2024

Motivation

“The effectiveness of changes in central-bank targets (...) in affecting spending decisions is wholly dependent upon the impact of such actions upon other financial-market prices such as longer-term interest rates (...) These are plausibly linked, through arbitrage relations to the short-term interest rates most directly affected by central-bank actions.” (Woodford, 2003)

Motivation

“The effectiveness of changes in central-bank targets (...) in affecting spending decisions is wholly dependent upon the impact of such actions upon other financial-market prices such as longer-term interest rates (...) These are plausibly linked, through arbitrage relations to the short-term interest rates most directly affected by central-bank actions.” (Woodford, 2003)

- Growing consensus that frictions to arbitrage matter for the macroeconomy Gromb-Vayanos (2002), He-Krishnamurthy (2013).
- Frictions even in the most liquid market in the world: US Treasuries (Duffie, 2023) and UK gilts (Pinter-Siriwardane-Walker, 2024)
- **Conventional** monetary policy transmission relies on arbitrage, but even in liquid bond markets arbitrage is imperfect

What we do

- **Research question:** how does bond market liquidity affect the transmission of conventional monetary policy to long-term rates?

What we do

- **Research question:** how does bond market liquidity affect the transmission of conventional monetary policy to long-term rates?
- **Prior work:** puzzling (high) degree of Monetary Non-Neutrality (Hanson-Stein (2015), Nakamura-Steinsson (2018))

What we do

- **Research question:** how does bond market liquidity affect the transmission of conventional monetary policy to long-term rates?
- **Prior work:** puzzling (high) degree of Monetary Non-Neutrality (Hanson-Stein (2015), Nakamura-Steinsson (2018))
- **Our work:** MP transmission to long-term rates only happens when markets are more liquid → "Liquidity State-Dependence" (LSD)

What we do

- **Research question:** how does bond market liquidity affect the transmission of conventional monetary policy to long-term rates?
- **Prior work:** puzzling (high) degree of Monetary Non-Neutrality (Hanson-Stein (2015), Nakamura-Steinsson (2018))
- **Our work:** MP transmission to long-term rates only happens when markets are more liquid → "**Liquidity State-Dependence**" (LSD)

Use both macro and micro data to explore if arbitrageur activity is a driver (Nakamura-Steinsson (2018) meets Vayanos-Villa (2021))

What we find

- **Result 1:** Transmission of monetary policy shocks to long-maturity interest rates occurs when liquidity is *high*
 - 100 bps shock to nominal 1Y yield \rightarrow 10Y moves by 38 bps
 - When liquidity is high, same shock moves 10Y by 124 bps!
- \implies **The Liquidity-State Dependence**

What we find

- **Result 1:** Transmission of monetary policy shocks to long-maturity interest rates occurs when liquidity is *high*
 - 100 bps shock to nominal 1Y yield → 10Y moves by 38 bps
 - When liquidity is high, same shock moves 10Y by 124 bps!
- ⇒ **The Liquidity-State Dependence**
- **Result 2:** The liquidity state-dependence works through the **real risk premium**, not the inflation / expectation components

What we find

- **Result 1:** Transmission of monetary policy shocks to long-maturity interest rates occurs when liquidity is *high*
 - 100 bps shock to nominal 1Y yield → 10Y moves by 38 bps
 - When liquidity is high, same shock moves 10Y by 124 bps!
- ⇒ **The Liquidity-State Dependence**
- **Result 2:** The liquidity state-dependence works through the **real risk premium**, not the inflation / expectation components
 - **Result 3:** Persistent state-dependent response also for mortgage rates (**macro-relevance**)

What we find

- **Result 1:** Transmission of monetary policy shocks to long-maturity interest rates occurs when liquidity is *high*
 - 100 bps shock to nominal 1Y yield → 10Y moves by 38 bps
 - When liquidity is high, same shock moves 10Y by 124 bps!

⇒ **The Liquidity-State Dependence**

- **Result 2:** The liquidity state-dependence works through the **real risk premium**, not the inflation / expectation components
- **Result 3:** Persistent state-dependent response also for mortgage rates (**macro-relevance**)

Both macro and micro data show that arbitrage activity is a key driver!

1 Aggregate data

- Proxy liquidity with the noise measure of [Hu et al \(2013\)](#)
- Proxies for arbitrage capital (hedge fund strategies returns)
- Zero-coupon Yield Curves (Gurkaynack, Sack and Swanson (2006))
- High-Frequency MP shocks (Nakamura-Steinsson (2018), Acosta (2023))

1 Aggregate data

- Proxy liquidity with the noise measure of [Hu et al \(2013\)](#)
- Proxies for arbitrage capital (hedge fund strategies returns)
- Zero-coupon Yield Curves (Gurkaynack, Sack and Swanson (2006))
- High-Frequency MP shocks (Nakamura-Steinsson (2018), Acosta (2023))

2 Granular transaction-level dataset (MIFID II)

- Trades by UK-regulated entities in US Treasuries ($6\% <$ of the market)
- identify arbitrageurs from trading behavior (in line with theory)
- More trading done by arbitrageurs in days where liquidity is high, particularly so for longer maturities

The Liquidity-State Dependence

$$\Delta f_{i,t}^{(\tau)} = \alpha + \beta_i^{(\tau)} \Delta mps_t + \epsilon_{i,t}^{(\tau)}$$

Table: The Liquidity State Dependence in Nakamura-Steinsson (QJE, 2018)

	Baseline		
	Nom.	Real	Inf.
3M Treasury yield	0.67*** (0.14)		
6M Treasury yield	0.85*** (0.11)		
1Y Treasury yield	1.00*** (0.14)		
2Y Treasury yield	1.10*** (0.33)	1.06*** (0.24)	0.04 (0.18)
3Y Treasury yield	1.06*** (0.36)	1.02*** (0.25)	0.04 (0.17)
5Y Treasury yield	0.73*** (0.20)	0.64*** (0.15)	0.09 (0.11)
10Y Treasury yield	0.38** (0.17)	0.44*** (0.13)	-0.06 (0.08)
2Y Treasury inst. forward rate	1.14** (0.46)	0.99*** (0.29)	0.15 (0.23)
3Y Treasury inst. forward rate	0.82* (0.43)	0.88*** (0.32)	-0.06 (0.15)
5Y Treasury inst. forward rate	0.26 (0.19)	0.47*** (0.17)	-0.21** (0.08)
10Y Treasury inst. forward rate	-0.08 (0.18)	0.12 (0.12)	-0.20** (0.09)

The Liquidity-State Dependence

$$\Delta f_{i,t}^{(\tau)} = \alpha + \beta_{i,hl}^{(\tau)} \Delta mps_t 1_{\text{HighLiq}_{t-1}} + \beta_{i,ll}^{(\tau)} \Delta mps_t 1_{\text{LowLiq}_{t-1}} + \epsilon_{i,t}^{(\tau)}$$

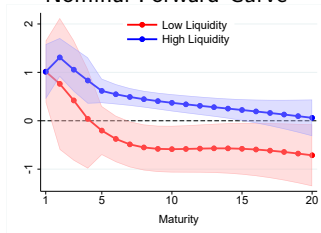
Table: The Liquidity State Dependence in Nakamura-Steinsson (QJE, 2018)

	Baseline			Low noise			High noise		
	Nom.	Real	Inf.	Nom.	Real	Inf.	Nom.	Real	Inf.
3M Treasury yield	0.67*** (0.14)			0.61*** (0.16)			0.69*** (0.19)		
6M Treasury yield	0.85*** (0.11)			0.74*** (0.16)			0.90*** (0.14)		
1Y Treasury yield	1.00*** (0.14)			1.48*** (0.12)			0.81*** (0.18)		
2Y Treasury yield	1.10*** (0.33)	1.06*** (0.24)	0.04 (0.18)	1.83*** (0.23)	1.69*** (0.32)	0.14 (0.33)	0.69* (0.41)	0.70** (0.29)	-0.01 (0.20)
3Y Treasury yield	1.06*** (0.36)	1.02*** (0.25)	0.04 (0.17)	1.92*** (0.27)	1.72*** (0.33)	0.20 (0.28)	0.57 (0.43)	0.62** (0.29)	-0.05 (0.20)
5Y Treasury yield	0.73*** (0.20)	0.64*** (0.15)	0.09 (0.11)	1.68*** (0.24)	1.58*** (0.20)	0.10 (0.18)	0.34 (0.21)	0.26* (0.14)	0.08 (0.14)
10Y Treasury yield	0.38** (0.17)	0.44*** (0.13)	-0.06 (0.08)	1.24*** (0.20)	1.24*** (0.16)	0.00 (0.12)	0.03 (0.17)	0.11 (0.12)	-0.08 (0.11)
2Y Treasury inst. forward rate	1.14** (0.46)	0.99*** (0.29)	0.15 (0.23)	2.25*** (0.35)	1.76*** (0.38)	0.49* (0.29)	0.50 (0.51)	0.55* (0.33)	-0.05 (0.25)
3Y Treasury inst. forward rate	0.82* (0.43)	0.88*** (0.32)	-0.06 (0.15)	1.96*** (0.45)	1.77*** (0.42)	0.18 (0.20)	0.17 (0.44)	0.38 (0.31)	-0.21 (0.19)
5Y Treasury inst. forward rate	0.26 (0.19)	0.47*** (0.17)	-0.21** (0.08)	1.17*** (0.30)	1.26*** (0.25)	-0.09 (0.13)	-0.12 (0.19)	0.15 (0.17)	-0.26** (0.11)
10Y Treasury inst. forward rate	-0.08 (0.18)	0.12 (0.12)	-0.20** (0.09)	0.58*** (0.18)	0.68*** (0.12)	-0.10 (0.13)	-0.34* (0.20)	-0.10 (0.13)	-0.24* (0.13)

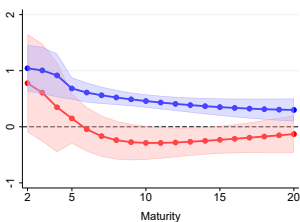
The Liquidity-State Dependence

$$\Delta f_{i,t}^{(\tau)} = \alpha + \beta_{i,hl}^{(\tau)} \Delta mps_t 1_{\text{HighLiq}_{t-1}} + \beta_{i,ll}^{(\tau)} \Delta mps_t 1_{\text{LowLiq}_{t-1}} + \epsilon_{i,t}^{(\tau)}$$

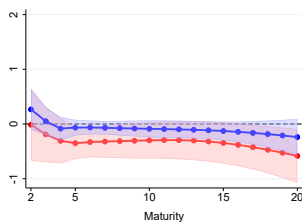
Nominal Forward Curve



Real Forward Curve

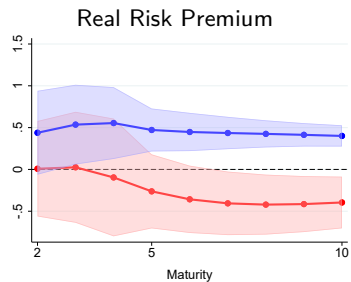
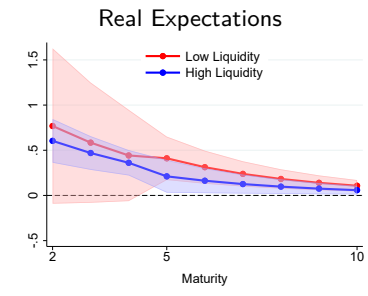


Inflation Forward Curve



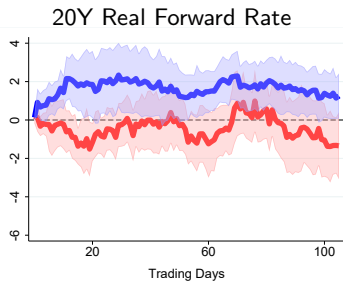
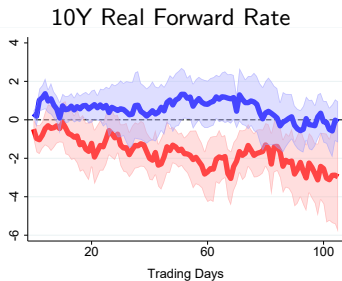
Expectations vs Risk Premium

$$f_{i,t}^{(\tau)} = eh_{i,t}^{(\tau)} + rp_{i,t}^{(\tau)}$$



Persistence

$$f_{r,t+k-1}^{(\tau)} - f_{r,t-1}^{(\tau)} = \alpha_k + \beta_{k,hl}^{(\tau)} mps_t + \nu_{k,t}$$



Inspecting the Mechanism

- Hu, Pan & Wang (2013) motivation: \uparrow liquidity \Leftrightarrow \uparrow arbitrage capital

Inspecting the Mechanism

- Hu, Pan & Wang (2013) motivation: \uparrow liquidity \Leftrightarrow \uparrow arbitrage capital
- We test this mechanism in two ways:
 - 1 **Aggregate data**: test if arbitrageurs capital can explain liquidity and liquidity state-dependence
 - 2 **Transaction-Level data**: test if arbitrageurs activity is higher in high liquidity FOMC days

Inspecting the Mechanism

What Explains Noise?

Table: $\Delta Noise_t = \alpha + \beta' X_t + \epsilon_t$

	Monthly Changes in Noise							
	(1)	(2)	(3)	(4)	(5)	(6)	(7)	(8)
$\Delta MOVE$	0.02*** (4.24)							0.01*** (3.59)
$\Delta Unemp.$		0.14*** (2.68)						0.10*** (2.95)
$\Delta Unc.$			0.71** (2.44)					-0.32 (-1.27)
$\Delta Lev.$				1.43*** (3.90)				0.59* (1.93)
FIA Ret.					-0.41*** (-7.95)		-0.18*** (-3.02)	-0.17*** (-2.63)
ConvArb Ret.						-0.45*** (-5.35)	-0.32*** (-3.38)	-0.32*** (-2.82)
Adj. R^2	15.94	2.53	16.10	16.35	34.52	40.89	43.47	50.77
N	205	240	240	240	240	240	240	205

- Evidence points to **specialized investors** (Duffie (2010), Siriwardane et al (2023))

State-Dependence with Fixed-Income Arb. Returns

$$\Delta f_{j,t}^{(\tau)} = \alpha + \beta_{j,hr}^{(\tau)} \cdot [mps_t \times 1_{HighFI\text{Aret}_{t-1}}] + \beta_{j,lr}^{(\tau)} \cdot [mps_t \times 1_{LowFI\text{Aret}_{t-1}}] + \epsilon_{j,t}^{(\tau)}$$

Figure: Real Forward Curve ($j = r$)

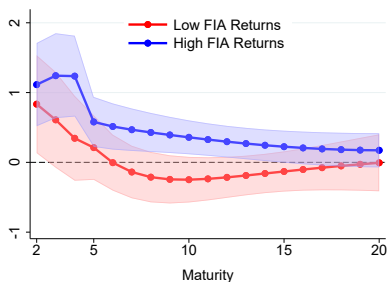
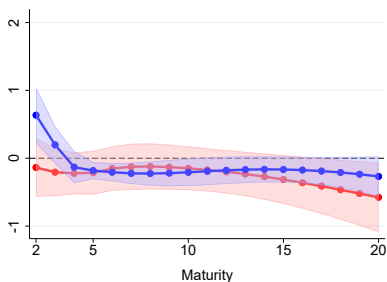


Figure: Inflation Forward Curve ($j = i$)



Inspecting the Mechanism - Transaction-Level Data

Question: is there more arbitrage activity around FOMC meeting when yield-curve noise is low?

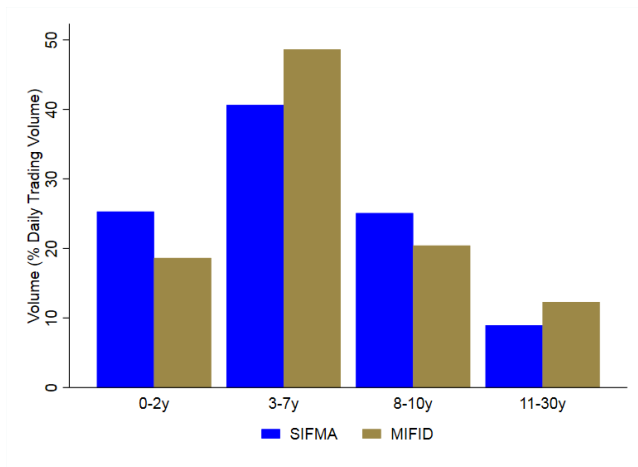
Inspecting the Mechanism - Transaction-Level Data

Question: is there more arbitrage activity around FOMC meeting when yield-curve noise is low?

MiFID II dataset covering the universe of UK financial market participants

- **Key advantages:** client identifiers and coverage (>6% of US treasury volume)
- **Limitations:** shorter sample period (2018 - present)

Sample Representativeness



Identifying Arbitrageurs from Trades

Measuring two dimensions of arbitrage:

- 1 Trading across the yield curve
 - standard deviation of maturities traded (weighted by trade size)
- 2 Duration-neutral exposure
 - net duration exposure of all trades

Identifying Arbitrageurs from Trades

Measuring two dimensions of arbitrage:

- 1 Trading across the yield curve
 - standard deviation of maturities traded (weighted by trade size)
- 2 Duration-neutral exposure
 - net duration exposure of all trades

Each month, we rank traders along the two dimensions, we then create a composite score:

$$I_{i,t} = \rho_{i,t}^{\sigma} * \rho_{i,t}^{Dur}$$

Identifying Arbitrageurs from Trades

Measuring two dimensions of arbitrage:

- 1 Trading across the yield curve
 - standard deviation of maturities traded (weighted by trade size)
- 2 Duration-neutral exposure
 - net duration exposure of all trades

Each month, we rank traders along the two dimensions, we then create a composite score:

$$l_{i,t} = \rho_{i,t}^{\sigma} * \rho_{i,t}^{Dur}$$

Then, average over the entire sample

$$l_i = \frac{1}{N_{i,t}} \sum_{t=1}^T l_{i,t}$$

Identifying Arbitrageurs from Trades

Measuring two dimensions of arbitrage:

- 1 Trading across the yield curve
 - standard deviation of maturities traded (weighted by trade size)
- 2 Duration-neutral exposure
 - net duration exposure of all trades

Each month, we rank traders along the two dimensions, we then create a composite score:

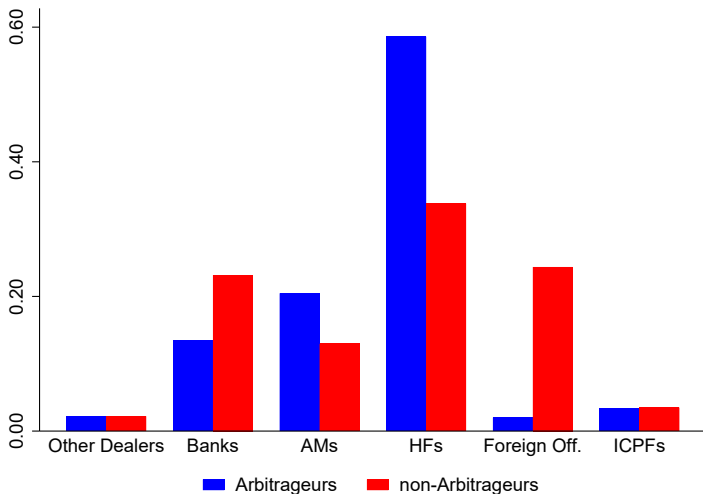
$$I_{i,t} = \rho_{i,t}^{\sigma} * \rho_{i,t}^{Dur}$$

Then, average over the entire sample

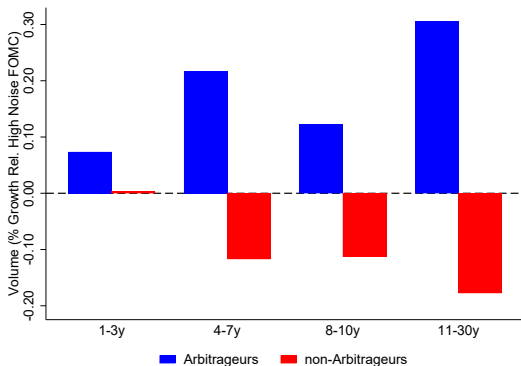
$$I_i = \frac{1}{N_{i,t}} \sum_{t=1}^T I_{i,t}$$

[\Rightarrow] Arbitrageurs are IDs in the top-tercile of the index

Who are the Arbitrageurs?



Arbitrageurs Trade More When Noise is Low



- Arbs > 0 , increase trading (almost) monotonically across maturities (15%-25% more trading)
- Non-arbs < 0 : they trade less

Robustness

- Macro results hold with all main measures of monetary policy shocks, accounting for information effects and other known predictability about our baseline shocks by Nakamura & Steinsson (2018), including: Jarocinski & Karadi (2015), Bauer & Swanson (2023), Karnaugh & Vokata (2022), and Swanson (2021)
- Robust to excluding recessions, QE dates, easing cycles and purging from the Fed Information Effect
- Robust to different ways of de-trending the noise measure, or using the original series without de-trending
- Results also hold when we include a number of controls or purge the liquidity measure from the component explained by these controls
- Results hold for different time samples, including a pre-GFC sample (for nominal only, lack of real data), and using different model decompositions into expectations and risk premium components
- Results also apply to the UK

Policy Implications and Future Work

- The **Liquidity State-Dependence** is entirely about the long-term real rates and it is persistent: it matters for macroeconomic policy
- The role of **arbitrageurs** is supported by evidence from both aggregate and transaction-level data
- **Policy complementarity**: market functioning/liquidity in bond markets important for both financial stability and monetary policy

THANK YOU FOR YOUR ATTENTION!

Appendix: The Noise Measure

Hu, Pan Wang (2013)

Each day t , there are N_t government bonds trading in the market

- Denote the (cont. compounded) yield on the maturity- τ bond $y_t^{(\tau)}$
- Svensson (1994) to find line of best fit: the *yield curve* $\hat{y}_t^{(\tau)}$

$$\text{Noise}_t = \sqrt{\frac{1}{N_t} \sum_{\tau=1}^{N_t} (y_t^{(\tau)} - \hat{y}_t^{(\tau)})^2}$$

- Cross-sectional dispersion of actual yields around the fitted curve
 - Captures information over entire curve (not just on-/off-the run)/ not driven by demand shocks for individual bonds / not related to level, slope or volatility of interest rates
 - Shown to be priced aggregate liquidity, not just UST-specific liquidity
 - Priced in HFs and carry trade returns
- Close link with supply of capital by arbitrage desks

Appendix: The Noise Measure

Hu, Pan Wang (2013)

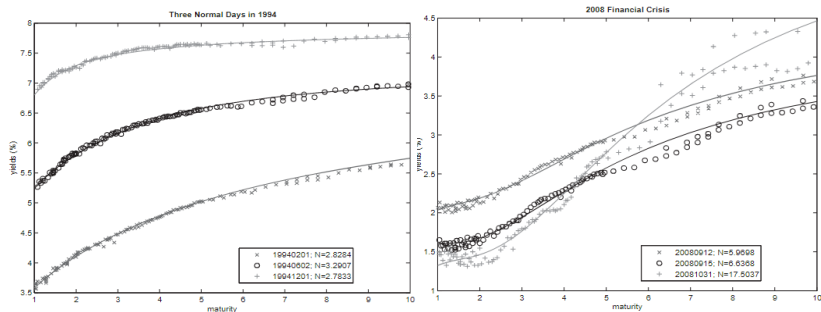


Figure: On normal days

Figure: Lehman Bankruptcy

Source: Hu, Pan and Wang (2013)

● High Liquidity \Leftrightarrow Low Noise [back](#)