

DISCUSSION:  
**Endogenous Specialization and Dealer Networks**

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# WHAT IS THIS PAPER ABOUT?

A search-based framework of OTC asset markets

- ▶ Underlying heterogeneity: rate of change of taste for asset for costumers
- ▶ Dealer network
  - ▶ Core-periphery dealer
  - ▶ Intermediation

**Nice model:** search is a useful trick to model frictions in OTC markets

1. Overview of the model
2. Relation to other work
3. Broader perspective: heterogeneity
4. Model implications

# OVERVIEW OF THE MODEL

- ▶ Continuous time, infinite horizon model
- ▶ Single asset with flow utility  $(\delta, \delta - x)$  when  $(h, l)$ 
  - ▶ Asymmetry between  $h$  and  $l$
- ▶ Agents
  - ▶ 3 ex-ante homogeneous dealers
  - ▶ Continuum of customers with heterogeneous rate of change in flow value, intensity  $k$
- ▶ Each customer picks one dealer to buy from when  $h$  and sell to when  $l$ 
  - ▶ Buyer, seller, happy owner
- ▶ Matching technology
  - ▶ Single dealer:  $\lambda_D \rightarrow \lambda_D \mu_i^s \mu_i^b$
  - ▶ Inter dealer:  $\lambda_{DD} \rightarrow \lambda_{DD} \left[ \mu_i^s \left( \sum_j \mu_j^b \right) + \left( \sum_j \mu_j^s \right) \mu_i^b \right]$
- ▶ Bargaining:  $z_D, z_{DD}$  customer share

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- ▶ Symmetric Equilibrium
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  - ▶ All 3 dealers symmetric in measures of their customers in different states
- ▶ Asymmetric equilibrium
  1. Single active-dealer
  2. All dealers active:  $\lambda_{DDZDD} > \lambda_{DZD}$

# MULTIPLE-DEALERS ASYMMETRIC EQUILIBRIUM

## CORE-PERIPHERY NETWORK

- ▶ Specialization
- ▶ Core versus peripheral dealer
  - ▶ Core dealers specialize in customers who trade often: *liquidity investors*
  - ▶ Peripheral dealers specialize in customers who don't: *buy-and-hold investors*
- ▶ Peripheral customers: lower value for lower price
  - ▶ Lower option value of search
  - ▶ At a lower price

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- ▶ Why do liquidity customers get a *better value* (at a higher price)?
  - ▶ **Assumption.** Intermediated trades lead to higher expected share:  
 $\lambda_{DDZDD} > \lambda_{DZD}$
  - ▶ **Endogenous.** Intermediated trades more valuable
  - ▶ Farboodi, Jarosch, Shimer (2016)



# EFFICIENCY

- ▶ Symmetric equilibrium inefficient
- ▶ Asymmetric equilibrium inefficient as well
  - ▶ Liquidity (core) dealer too large
  - ▶ Atkeson, Eisfeldt, Weill (2015)
    - ▶ Too much entry to intermediation sector and too little entry to customer sector

# LITERATURE: EX-POST DEALER HETEROGENEITY

- ▶ Ex-ante dealer heterogeneity
  - ▶ Atkeson, Eisfeldt, Weill (2015)
    - ▶ Dealers heterogeneous in exposure to aggregate risk
    - ▶ Agents with average exposure intermediate
  - ▶ Chang and Zhang (2016)
    - ▶ Dealers heterogeneous in taste volatility
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  - ▶ Micro-found heterogeneity among dealers using customer heterogeneity

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  - ▶ Micro-found heterogeneity among dealers using customer heterogeneity
- ▶ Others
  - ▶ Artem's jmp, Uslu (2016) jmp
    - ▶ Ex-ante heterogeneity in meeting rate: fast agents intermediate
  - ▶ Hugonnier, Lester, Weill (2016)
    - ▶ Agent with close-to-average taste intermediate

# LITERATURE: EX-POST DEALER HETEROGENEITY

- ▶ Some ex-ante heterogeneity, no ex-ante designated dealers
  - ▶ My jmp!
  - ▶ Rent-seeking versus counterparty risk
  - ▶ *Wrong* intermediators
- ▶ No ex-ante heterogeneity at all
  - ▶ Wang (2016) jmp
  - ▶ Trade-off: competition among core dealers to give favorable quotes versus ability to offset inventory and avoid cost
  - ▶ Periphery *too-connected* to the core
  - ▶ Relation to this paper:  $\lambda_{DDZDD} > \lambda_{DZD}$

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  - ▶ Relation to this paper:  $\lambda_{DDZDD} > \lambda_{DZD}$
- ▶ **Common theme in all search-based models**
  - ▶ Agents with *moderate* taste are central dealers
  - ▶ How to generate moderate taste?

# WHERE DOES THE HETEROGENEITY COME FROM?

FARBOODI, JAROSCH, SHIMER (2016)

- ▶ Plain-vanilla DGP (Eca'05), with a twist!
- ▶ Measure one of risk-neutral investors, discount rate  $r \rightarrow 0$
- ▶ Two preference states,  $\{l, h\}$ 
  - ▶ Switch at homogeneous, exogenous rate  $\gamma > 0$
- ▶ A single type of asset, supply  $\frac{1}{2}$ 
  - ▶ Asset holding restricted to  $\{0, 1\}$
  - ▶ Trading opportunities at **endogenous** rate  $\lambda$
- ▶ **Twist!**  $\lambda$  chosen irrevocably at time 0, cost  $c(\lambda)$  per meeting
  - ▶  $G(\lambda)$ : population distribution of  $\lambda$
  - ▶  $\Lambda$ : average contact rate
- ▶ Payoffs
  - ▶ Well-aligned  $(h, 1)$ ,  $(l, 0)$ : higher average flow payoff
  - ▶ Misaligned  $(h, 0)$ ,  $(l, 1)$ : lower average flow payoff
  - ▶ (symmetric) Nash bargaining

# RESULTS

## PROPOSITION

*Pattern of Trade given  $G(\lambda)$ : core-periphery with fast agents at the core*

## PROPOSITION

*Assume  $c(\lambda)$  is continuously differentiable. Then the equilibrium distribution of search efficiency  $G(\lambda)$  has no mass points, except possibly at  $\lambda = 0$ .*

## PROPOSITION

*Assume  $\lambda c(\lambda)$  is weakly convex. Then the equilibrium distribution of search efficiency  $G(\lambda)$  has a convex support. Moreover, if there are middlemen ( $\Lambda > \int_0^\infty \lambda dG(\lambda)$ ), the support of  $G(\lambda)$  is unbounded above.*

## PROPOSITION

*Assume  $\lambda c(\lambda)$  is weakly convex and continuously differentiable. Then the equilibrium misalignment rate  $m(\lambda)$  is strictly increasing on the support of  $G(\lambda)$ .*



## RESULTS. LINEAR COST FUNCTION

### PROPOSITION

*Assume  $c(\lambda) = c$ . If  $c \geq \Delta/16\gamma$ ,  $\Lambda = 0$  in equilibrium; while if  $c < \Delta/16\gamma$ , the equilibrium distribution of contact rates  $G(\lambda)$  exists and is unique. It has a strictly positive lower bound  $\underline{\lambda}$  and has a Pareto tail with tail parameter two. A strictly positive fraction of meetings accrues to a zero measure of middlemen who are in continuous contact with the market,  $\Lambda > \int_0^\infty \lambda' dG(\lambda')$ .*

### PROPOSITION

*Assume  $c(\lambda) = c < \Delta/16\gamma$ . The equilibrium distribution of trading rates inherits the tail properties of the contact rate distribution, i.e. it has a Pareto tail with tail parameter two.*

# WHY DOES HETEROGENEITY ARISE ENDOGENOUSLY?

- ▶ To leverage gains from intermediation!
  - ▶ The current paper!

## PROPOSITION

*Everything I said, qualitatively hold for the planner as well!*

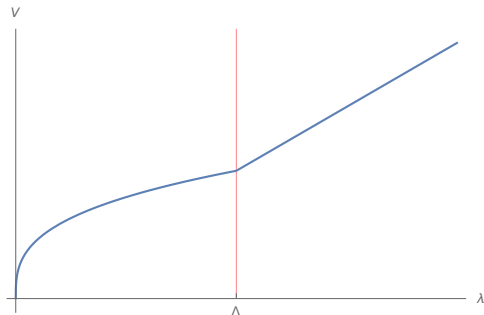
## PROPOSITION

*If you shut down intermediation, equilibrium and planner distribution are both homogeneous.*

- ▶ Inefficiency
  - ▶ Over-investment
  - ▶ Too few fast agents and too few slow agents
  - ▶ Different from this model, and AEW (Eca'15)

# MODEL IMPLICATIONS

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- ▶ This model:  $\lambda \rightarrow \infty$ : no dealer heterogeneity
  - ▶ Farboodi, Jarosch and Menzio (2016)
  - ▶ Agents can invest in bargaining ability
  - ▶ Even at the limit, both heterogeneity and inefficiency persists

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  - ▶ Agents can invest in bargaining ability
  - ▶ Even at the limit, both heterogeneity and inefficiency persists
- ▶ Why the difference?
  - ▶ It is important to recognize agents' ability to *invest in comparative advantage*
  - ▶ Heterogeneity is not only in *equilibrium "dependent" outcomes*, but also in *equilibrium fundamentals*

# FINAL COMMENTS

- ▶ Proof of asymmetric equilibrium is for 2 dealers, does it really generalize to more?
- ▶ Asymmetric mixed strategy equilibria?
- ▶  $\lambda_{DDZDD} > \lambda_{DZD}$
- ▶ Single core outcome: full dry-out?
  - ▶ Uninteresting?
  - ▶ Babus and Parlato (2016)